ON A HINGED PLATE EQUATION OF NONCONSTANT THICKNESS

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Abstract. This note is concerned with the problem of existence and uniqueness of solutions for a fourth order boundary value problem that models the deflection of a hinged plate of nonconstant thickness.

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