

CONTROL CHAOS IN THE FRACTIONAL LORENZ–HAMILTON SYSTEM

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Abstract. In this paper we discuss the dynamical behavior of a family of fractional differential systems associated to Lorenz-Hamilton system. The stability analysis of equilibrium states of the controlled fractional Lorenz-Hamilton system is studied.

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