ON A STURM–LIOUVILLE TYPE DIFFERENTIAL
INCLUSION OF FRACTIONAL ORDER

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Abstract. The existence of solutions for a Sturm-Liouville type differential inclusion of fractional order is investigated. New results are obtained by using suitable fixed point theorems when the right hand side has convex or non convex values.

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