Journal of Classical Analysis
Volume 1, Number 1 (2012), 35–42
doi:10.7153/jca-01-05

INCLUSION PROPERTIES FOR CERTAIN CLASS OF ANALYTIC FUNCTIONS INVOLVING MULTIPLIER TRANSFORMATION OPERATOR

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Abstract. A multiplier transformation is used to define certain new subclasses of analytic functions in the open unit disk $\mathbb{U}$. For each of these new function classes, several inclusion relationships are established. Some interesting corollaries and consequences of the main inclusion relationships are also considered.

Mathematics subject classification (2010): 30C45.
Keywords and phrases: Analytic functions, multiplier transformation operator, inclusion properties.

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Paper JCA-01-05