

ON SOME INEQUALITIES CONCERNING RELATIVE (p,q) - φ TYPE AND RELATIVE (p,q) - φ WEAK TYPE OF ENTIRE OR MEROMORPHIC FUNCTIONS WITH RESPECT TO AN ENTIRE FUNCTION

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Abstract. The main aim of this paper is to study some growth properties of entire and meromorphic functions on the basis of relative (p,q) - φ type and relative (p,q) - φ weak type of entire and meromorphic function with respect to an entire function.

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