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ON ASYMPTOTICALLY DEFERRED STATISTICAL EQUIVALENT MEASURABLE FUNCTIONS

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Abstract. The primary focus of this article is to introduce the ideas of asymptotically deferred statistical equivalence and strongly asymptotically deferred statistical equivalence by considering two nonnegative real-valued Lebesgue measurable functions on $(1,\infty)$. Additionally, we examine some main properties of these two concepts.

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