

## QUASI-INVARIANT CONVERGENCE FOR DOUBLE SEQUENCE

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*Abstract.* In this paper we introduce the concept of quasi-invariant convergence and quasi-invariant statistical convergence of double sequence in a normed space and we shall present a characterization of a bounded sequence to be quasi-invariant convergent.

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