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GENERAL FRAMEWORK FOR SENSITIVITY ANALYSIS TO A CLASS OF NONLINEAR RELAXED COCOERCIVE QUASIVARIATIONAL INCLUSIONS

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Abstract. Based on the generalized resolvent operator technique, sensitivity analysis results for relaxed cocoercive quasivariational inclusions are obtained, which generalize a broad range of sensitivity analysis results, including strongly monotone quasivariational inclusions. Generalized resolvent operator technique is constructed on the emergence of the new notion of A-monotonicity — a significant generalization to the notion of maximal monotonicity. The notion of A-monotonicity is also referred to as A-maximal monotonicity in literature. Furthermore, the relaxed cocoercivity is illustrated by some examples.

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