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ASYMPTOTIC BEHAVIOR OF INTERMEDIATE POINTS IN CERTAIN MEAN VALUE THEOREMS

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Abstract. The paper deals with asymptotic behavior of intermediate points in certain mean value theorems: the Cauchy–Taylor mean value theorem, a generalization due to I. Pawlikowska of Flett's mean value theorem, and a Cauchy version of Pawlikowska's mean value theorem.

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