

A NOTE ON A GAMMA FUNCTION INEQUALITY

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Abstract. The aim of this article is to present new inequalities which improve some gamma function inequalities of H. Alzer, Á. Baricz and N. Elezović et al.

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