MAPPING PROPERTIES OF SOME CLASSES OF ANALYTIC FUNCTIONS UNDER AN INTEGRAL OPERATOR

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Abstract. In this paper, we consider certain subclasses of analytic functions with bounded boundary and bounded radius rotation related with Robertson functions and study the mapping properties of these classes under certain integral operator introduced by Serap Bulut recently.

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