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IMPROVED ARITHMETIC–GEOMETRIC MEAN INEQUALITY AND ITS APPLICATION

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Abstract. In this short note, we present a refinement of the well-known arithmetic-geometric mean inequality. As application of our result, we obtain an operator inequality.

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