

## MORE ON $L^p$ -INTEGRABILITY

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*Abstract.* In this paper, we give a further generalization to  $L^p$ -integrability of trigonometric series connecting with derivatives of the sum-functions.

*Mathematics subject classification (2010):* 42A25, 42A50.

*Keywords and phrases:* Integrability, mean value bounded variation, monotonicity.

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