

\mathcal{D} -MEASURABILITY AND t -WRIGHT CONVEX FUNCTIONS

ELIZA JABŁOŃSKA

Abstract. In the paper we will prove that each t -Wright convex function, which is bounded on a \mathcal{D} -measurable non-Haar meager set is continuous. Our paper refers to papers [11], [4] and a problem posed by K. Baron and R. Ger.

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