SOME EXTENDED INTEGRAL INEQUALITIES ON TIME SCALES

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Abstract. In this paper, we establish an integral inequality on time scales. As an applications, we study the stability of a kind of difference equations.

Mathematics subject classification (2010): 34N05,35B35.
Keywords and phrases: Integral inequality, time scales, stability.

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