Journal of Mathematical Inequalities
Volume 17, Number 1 (2023), 185–189
doi:10.7153/jmi-2023-17-13

ANOTHER PROOF OF HÖLDER'S INEQUALITY

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Abstract. In this note, we introduce an idea of deriving some inequalities, using the discriminants of polynomials. This gives another proof of the famous Hölder's inequality.

Mathematics subject classification (2020): 26D05.
Keywords and phrases: Cauchy-Schwarz inequality, Hölder's inequality, discriminant.

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Paper JMI-17-13