

SOME NORM INEQUALITIES INVOLVING FUNCTIONS OF TWO VARIABLES

MANDEEP SINGH AND JASPAL SINGH AUJLA

Abstract. We will prove some inequalities for unitarily invariant norms involving functions of two variables. Some of our results generalize known results.

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