A NOTE ON SOME CLASSES OF REAL SEQUENCES

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Abstract. It is shown that the class of real sequences defined by $\check{Z}$. Tomovski recently is identical with the Fomin's class, furthermore one new class of sequences is defined and compared with some known classes of sequences.

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