

## WEYL'S THEOREM FOR CLASS $A$ OPERATORS

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*Abstract.* In this paper, we show that Weyl's theorem holds for class  $A$  operators under a certain condition. We also show that a class  $A$  operator whose Weyl spectrum equals to the one-point set  $\{0\}$  is always compact and normal.

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