

QUASILINEARITY & HADAMARD'S INEQUALITY

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Abstract. We establish a number of functional results arising out of Hadamard's inequalities. Striking nonnegativity, superadditivity and supermultiplicativity properties are derived.

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