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GENERALIZATION OF SOME THEOREMS ON CLASSES OF NUMERICAL SEQUENCES

JÓZSEF NÉMETH

Abstract. The theorem proved here is a generalization of some earlier results due to L. Leindler and to the present author regarding embedding relations among classes of Fourier coefficients.

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