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ESTIMATES OF THE DIFFERENCE BETWEEN TWO WEIGHTED INTEGRAL MEANS VIA WEIGHTED MONTGOMERY IDENTITY

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Abstract. Some new generalizations of estimates of difference between two weighted integral means are given, by using Euler-type identities and weighted Montgomery identity

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