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SOME NEW PROOFS FOR THE AGM INEQUALITY

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Abstract. In this paper, using some techniques of mathematical analysis, we give some new proofs for the AGM inequality.

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