

NOTE ON GRÜSS TYPE INEQUALITY

JOSIP PEČARIĆ AND IVAN PERIĆ

Abstract. In this note we prove, using Karamata's estimations of the Chebyshev quotient, Grüss type inequality which improves and generalize the inequality given by Dragomir-Khan.

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