Mathematical
Inequalities
& Applications
Volume 10, Number 1 (2007), 1–7

A NONCOMMUTATIVE AG INEQUALITY

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Abstract. We give a proof of AG inequality in noncommutative linearly ordered rings.

Mathematics subject classification (2000): 06F25, 26D05.
Key words and phrases: noncommutative linearly ordered ring, AG inequality, quasi-sum of squares.

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