Mathematical
Inequalities
& Applications
Volume 10, Number 2 (2007), 403–415

SENSITIVITY ANALYSIS FOR PARAMETRIC GENERAL SET–VALUED MIXED VARITIONAL–LIKE INEQUALITY IN UNIFORMLY SMOOTH BANACH SPACE

K. R. KAZMI AND F. A. KHAN

Abstract. In this paper, using the concept of P-η-proximal mapping, we study the existence and sensitivity analysis of solution of a parametric general set-valued mixed variational-like inequality problem in uniformly smooth Banach space. The approach used in this paper may be treated as the extension and unification of approaches for studying sensitivity analysis for various important classes of variational inequalities given by many authors, see for example [2, 4, 6-8, 14, 15, 17-19].

Mathematics subject classification (2000): 49J40, 47H05, 47J25, 47J20, 49J53.
Key words and phrases: parametric general variational-like inequality, P-η-proximal mapping, strongly mixed accretive mapping, mixed Lipschitz continuous mapping, generalized mixed pseudocontractive mapping, relaxed mixed Lipschitz mapping, sensitivity analysis.

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