

## TWO-SIDED ESTIMATES OF PROJECTION OPERATORS NORM, WITH APPLICATIONS TO DEFORMABLE MODELS

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*Abstract.* This paper is devoted to give estimates involving the norm for classes of projection operators (used, for example, in the theory of deformable models) and to obtain theorems concerning the convergence or the superdense unbounded divergence corresponding to these operators.

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