Mathematical
Inequalities
& Applications
Volume 16, Number 3 (2013), 611–632
doi:10.7153/mia-16-46

A NEW PROOF OF SHAPIRO INEQUALITY

TETSUYA ANDO

Abstract. We present a new proof of Shapiro cyclic inequality. Especially, we treat the case $n = 23$ precisely.

Mathematics subject classification (2010): 26D15.
Keywords and phrases: Homogeneous inequality.

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Paper MIA-16-46