Mathematical
Inequalities
& Applications
Volume 17, Number 4 (2014), 1543–1550
doi:10.7153/mia-17-113

THE LEBESGUE SUMMABILITY OF DOUBLE TRIGONOMETRIC INTEGRALS

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Abstract. We recall that the Lebesgue summability of trigonometric series (see [6]) or trigonometric integrals (see [4] and [2]) is defined in terms of the symmetric differentiability of the formally integrated series or integral, respectively. In the present paper we define the Lebesgue summability of double trigonometric integrals, and extend a previous theorem from single to double trigonometric integrals.

Mathematics subject classification (2010): 42A38, 42B10.

Keywords and phrases: Formal integration of double trigonometric integrals, symmetric differenciability of functions in two variables, Lebesgue summability of trigonometric integrals and Fourier transforms.

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Paper MIA-17-113