## ASYMPTOTIC BEHAVIOR OF POWER MEANS

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Abstract. We consider asymptotic behavior of classical *n*-variable means. General expansions of these means are known in the term of Bell polynomials. Here, simple recursive algorithms are derived. The obtained coefficients are used in analysis of some inequalities between means which include the first asymptotic term.

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