

## SOME NEW INTEGRAL INEQUALITIES ON TIME SCALES

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*Abstract.* In this paper, we establish some generalizations of inequalities on time scales, which have appeared in different articles. The inequalities that we will derive from our results when  $g(t) = t$  are essentially new.

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