CONTINUITY PROPERTIES OF K–MIDCONVEX
AND K–MIDCONCAVE SET–VALUED MAPS

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Abstract. A recent result on the continuity of midconvex functionals upper bounded on a not null-finite set (see [2]) is extended to K-midconvex and K-midconcave set-valued maps.

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