MAJORIZATION AND REFINEMENTS OF
HERMITE–HADAMARD INEQUALITY

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Abstract. In this note we use majorization methods to derive and analyze refinements of Hermite-Hadamard inequality for a convex function.

Mathematics subject classification (2010): 26A42, 26A51, 26D15.

Keywords and phrases: Convex function, Hermite-Hadamard inequality, majorization, column stochastic matrix, Sherman inequality.

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