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COMPLETELY CO–BOUNDED SCHUR MULTIPLIERS

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Abstract. A linear map $u: E \to F$ between operator spaces is called completely co-bounded if it is completely bounded as a map from E to the opposite of F. We give several simple results about completely co-bounded Schur multipliers on $B(\ell_2)$ and the Schatten class S_p. We also consider Herz-Schur multipliers on groups.

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