

INTERPOLATING BETWEEN THE ARITHMETIC–GEOMETRIC MEAN AND CAUCHY–SCHWARZ MATRIX NORM INEQUALITIES

KOENRAAD M. R. AUDENAERT

Abstract. We prove an inequality for unitarily invariant norms that interpolates between the Arithmetic-Geometric Mean inequality and the Cauchy-Schwarz inequality.

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