

## AN OPIAL–TYPE INEQUALITY FOR FRACTIONAL DERIVATIVES OF TWO FUNCTIONS

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*Abstract.* This paper presents improvements of some Opial-type inequalities involving the Riemann–Liouville, Caputo and Canavati fractional derivatives, and presents some new Opial-type inequalities.

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