

## LETTER TO THE EDITOR

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*Abstract.* In the note some remarks are given concerning certain results of the article [M. A. Sarigöl, *A remark on  $\varphi - |\overline{N}, q_n; \delta|_k$  summability*, this journal, **12**, 1 (2018), 55–58.]

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## REFERENCES

- [1] H. BOR, *On two summability methods*, Math. Proc. Camb. Philos. Soc. **97** (1985), 147–149.
- [2] H. BOR, *On local property of  $|\overline{N}, p_n; \delta|_k$  summability of factored Fourier series*, J. Math. Anal. Appl. **179**, 2 (1993), 646–649.
- [3] G. H. HARDY, *Divergent Series*, Oxford University Press, Oxford, 1949.
- [4] H. S. ÖZARSLAN, *Some equivalence theorems on absolute summability methods*, Inter. J. Anal. Appl. **13**, 1 (2017), 93–97.
- [5] M. A. SARIGÖL, *On the local properties of factored Fourier series*, Appl. Math. Comput. **216**, 11 (2010), 3386–3390.
- [6] M. A. SARIGÖL, *A remark on  $\varphi - |\overline{N}, q_n; \delta|_k$  summability*, J. Classical Anal. **12**, 1 (2018), 55–58.
- [7] H. SEYHAN, *On the local property of  $\varphi - |\overline{N}, p_n; \delta|_k$  summability of factored Fourier series*, Bull. Inst. Math. Acad. Sinica **25**, 4 (1997), 311–316.