

ON THE QUASI-MONOTONE AND ALMOST INCREASING SEQUENCES

H. BOR AND H. S. ÖZARSLAN

Abstract. In this paper, a theorem of Bor and Özarslan [3] dealing with $|C, \alpha; \beta|_k$ summability factors has been generalized for $|C, \alpha, \gamma; \beta|_k$ summability methods.

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