

## INEQUALITIES INVOLVING MULTIVARIATE CONVEX FUNCTIONS IV

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*Abstract.* This paper deals with the inequalities involving logarithmically convex functions of several variables. The results here provide generalizations of inequalities for univariate functions obtained by Dragomir and Dragomir and Mond.

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