

SOME PROPERTIES OF A FUNCTION CONNECTING TO EXPONENT OF CONVERGENCE FOR DOUBLE SEQUENCES

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Abstract. In this paper, we extend the notion of exponent of convergence for double sequences and study some properties of a function connecting with a non-decreasing double sequence in a Fréchet metric space.

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