

## STATISTICAL CONVERGENCE IN 2-METRIC SPACES

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*Abstract.* In this paper, notions of statistical convergence, statistically Cauchy sequence,  $\mathcal{N}_\theta$  and lacunary statistical convergence in 2-metric space will be introduced. Also some inclusion relations between these concepts will be investigated.

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