

CHARACTERIZATIONS OF CERTAIN SEQUENCES OF q -POLYNOMIALS

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Abstract. We provide a new characterization for those sequences of quasi-orthogonal polynomials which form also q -Appell sets.

Mathematics subject classification (2020): 33C65, 33C45, 33D05, 33D45, 11B68.

Keywords and phrases: Appell polynomial set, q -Bernoulli polynomials, q -Euler polynomials, orthogonal polynomials, quasi-orthogonal polynomials, q -difference equation.

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