

## ON A RESULT OF LEINDLER

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*Abstract.* In this paper we give an alternative proof of a result of Leindler on Hardy type inequalities. This method can also be used to obtain alternative and simpler proofs of other results.

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