

## HERMITE–HADAMARD–TYPE INEQUALITIES IN THE APPROXIMATE INTEGRATION

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*Abstract.* We give a slight extension of the Hermite–Hadamard inequality on simplices and we use it to establish error bounds of the operators connected with the approximate integration.

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